## S3 Transport Need to Know Sheet

| 1.6 | I can perform calculations involving the relationship between speed, distance and time ( $\mathrm{d}=\mathrm{vt}$ ) |
| :---: | :---: |
|  | Speed is the distance travelled in unit time (distance travelled per second) $\bar{v}=\frac{d}{t}$ |
| 1.8 | I can determine average and instantaneous speed. |
|  | The instantaneous speed of a vehicle at a given point can be measured by finding the average speed during a very short time as the vehicle passes that point. $v=\frac{\Delta d}{\Delta t}=\frac{l}{t}$ <br> The instantaneous speed of an object is defined as the length of the vehicle divide by the time to pass a point. |
| 1.9 | I can describe experiments to measure average and instantaneous speed. |
|  | Average Speed <br> To measure the average speed you need to measure the distance for the whole journey and measure the time taken for the whole journey. The distance can be measured with a trundle wheel, tape measure etc., and the time can be measured with a stop watch. Use the formula: $\bar{v}=\frac{d}{t}$ |
| 1.1 | I can define the terms scalars and vectors |
|  | a scalar quantity is completely described by stating its magnitude (size) \& unit. <br> a vector quantity is completely described by stating its magnitude, unit and direction |
| 1.2 | I can identify vector and scalar quantities such as: force, speed, velocity, distance, displacement, acceleration, mass, time and energy. |
|  | Scalars Vectors |
|  | Energy Velocity |
|  | Temperature Acceleration |
|  | Speed Displacement |
|  | Time Force |
|  | Mass (Weight/ friction etc) |
|  | Distance Gravitational field strength |
| 1.3 | I can calculate the resultant of two vector quantities in one dimension or at right angles. |


|  | Using Pythagoras $\begin{gathered} R^{2}=a^{2}+b^{2} \\ R^{2}=30^{2}+10^{2} \\ R=31.6 \mathrm{~N} \\ \tan \theta=\frac{o p p}{\text { adj }}, \tan \theta=\frac{30}{10} \\ \tan ^{-1} \theta=3, \theta=72^{\circ} \end{gathered}$ <br> In some cases that means that the two vectors have to be redrawn so that they are being added "head to tail". See example below. becomes <br> Then join a line from the tail of the first vector to the head of the second vector. This is the resultant vector. |
| :---: | :---: |
| 1.4 | I can determine displacement and/or distance using scale diagram or calculation. |
|  | Distance is a measure of how far a body has actually travelled in any direction. Distance is a scalar as it only requires a magnitude and unit. <br> Displacement is the measurement of how far an object has travelled in a straight line from the start to the finish of its journey. |
| 1.6 | I can make use of appropriate relationships to calculate velocity in one dimension ( $\mathrm{s}=\mathrm{vt}$ ) |
|  |  |


| 3.1 | I can define acceleration as the final velocity subtract the initial velocity divided by the time for the change, or change in velocity divide by the time for the change. |
| :---: | :---: |
|  | $a=\frac{v-u}{t}=\frac{\Delta v}{t}$ |
| 3.1 | I can define the acceleration as rate of change of velocity. |
|  | Acceleration is the rate of change of velocity. Acceleration is the change in velocity per unit time. An acceleration of $2 \mathrm{~ms}^{-2}$ means the velocity increases by $2 \mathrm{~ms}^{-1}$ every second |
| 3.2 | I can use the relationship involving acceleration, change in speed and time ( $a=\Delta v / t)$. |
|  | $a=\frac{v-u}{t}=\frac{\Delta v}{t}$ $\Delta v=v-u$ |
| 3.3 | I can use appropriate relationships to solve problems involving acceleration, initial velocity (or speed) final velocity (or speed) and time of change $\left(a=\frac{v-u}{t}\right)$. |
|  | A girl is riding a bicycle. She starts at rest, and accelerates to $20 \mathrm{~ms}^{-1}$ in 8.0 seconds, calculate her acceleration. $\begin{aligned} & \Delta v=v-u=20-0=20 \\ & \quad a=\frac{\Delta v}{t}=\frac{20}{8}=2.5 \mathrm{~ms}^{-2} \end{aligned}$ |
|  | A car increases its velocity from $30 \mathrm{~ms}^{-1}$ to $80 \mathrm{~ms}^{-1}$ in 20 seconds. Calculate its acceleration. $\begin{gathered} a=\frac{v-u}{t} \\ a=\frac{80-30}{20}=2.5 \mathrm{~ms}^{-2} \end{gathered}$ |
| 3.5 | I can describe an experiment to measure acceleration |
|  | Instructions for double mask method. <br> 1. Measure the length of the two parts of the double mask, <br> 2. Set the computer to measure acceleration, and input <br> 3. Release the trolley and record the acceleration, <br> 4. The computer measures the time for each part of the double mask to pass through <br> 5. the light gate, and the time between the two parts. It then uses these to calculate acceleration $a=\frac{(v-u)}{t}$ <br> 6. Repeat several times and calculate an average. |
|  | Instructions for single mask method <br> 1. Measure the length of the mask, d . <br> 2. Set the computer to measure acceleration, and input d. <br> 3. Release the trolley and record the acceleration, a. <br> 4. The computer measures the time for each for the mask to pass through each light gate <br> 5. the light gate, and the time between the two light gates. It then uses these to calculate acceleration $a=\frac{(v-u)}{t}$ <br> 6. Repeat several times and calculate an average. |


|  |  |
| :---: | :---: |
| 2.1 | I can draw velocity-time graphs for objects from recorded or experimental data. |
|  |    |
| 2.2 | I can interpret velocity-time graphs to describe the motion of an object. |
|  | The steeper the gradient the greater the acceleration. A flat line indicates constant velocity, zero acceleration |
| 2.3 | I can find displacement from a velocity-time graph. |
|  | Displacement is the area under a speed time graph. <br> It is best to split the area under the graph into rectangles and triangles. Calculate the area of each and then add them together. [Area of a triangle is $1 / 2$ base $x$ height] |
| 3.4 | I can find the acceleration as the gradient of a velocity-time graph. |
|  | Example 1- |


|  | Calculate the acceleration shown in the graph below: <br> Solution $v=18 ; u=6 ; t=10$ $a=\frac{v-u}{t}$ $a=\frac{18-6}{10}=1.2 \mathrm{~ms}^{-2}$ <br> Solution using gradient $\begin{gathered} m=\frac{y_{2}-y_{1}}{x_{2}-x_{2}} \\ \mathrm{~m}=\mathrm{a}=\frac{18-6}{10-0}=1.2 \mathrm{~ms}^{-2} \end{gathered}$ |
| :---: | :---: |
| 4.1 | I can give applications and use Newton's laws and balanced forces to explain constant velocity (or speed), making reference to the frictional forces of the object. |
|  | Newton's First Law : A body will remain at rest or travel at a constant speed in a straight line, unless acted upon by an unbalanced force. <br> Newton's Second Law we normally write as a formula: $\begin{gathered} \qquad F_{u n}=m a \\ \text { Unbalanced Force }=\text { mass } \times \text { acceleration } \\ (\text { Newtons })=(\text { Kilogram }) \times(\text { metres per second squared }) \end{gathered}$ <br> Newton's Third Law states: For every action there is an equal but opposite reaction. <br> Or If $A$ exerts a force on $B, B$ exerts an equal but opposite force on $A$. <br> Difference between N1 and N3 Laws |
| 4.2 | I can give applications of Newton's laws and balanced forces to explain and or determine acceleration for situations where more than one force is acting, ( $\mathrm{F}=\mathrm{ma}$ ) |
|  |  |
|  | A car is travelling at a constant speed along a flat level road. <br> The forces on the car are balanced as the car is travelling at constant speed. If an unbalanced force is added to the car will accelerate. |
|  | A hot air balloon is falling at constant velocity to the ground. <br> (i) A free body diagram with the forces labelled on the balloon. |


|  | $\mathrm{W}=$ weight, $\mathrm{F}=$ frictional forces. <br> (ii) The forces on the balloon are equal in size and opposite in direction <br> (iii) A balloonist throws a sandbag over the side of the balloon basket, state what happens to the forces on the balloon. <br> The weight decreases, the frictional forces remains constant for an instant <br> (iv) Describe the motion of the balloon when the sandbag is thrown overboard. The balloon will accelerate upwards as there is an unbalanced upwards force until a new terminal velocity is reached |
| :---: | :---: |
| 4.3 | I can use $F=m a$ to solve problems involving unbalanced force, mass and acceleration for situations where more than one force is acting, in one dimension. |
|  | A boat has a mass of 700 kg , and can accelerate at $3.0 \mathrm{~ms}^{-2}$. If the engines produce a force of 7000 N , what is the size of <br> (i) the unbalanced force on the boat, and <br> (ii) the drag force of the water on the boat? <br> (i) $F=m a=700 \mathrm{~kg} \times 3 m s^{-2}=2100 \mathrm{~N}$ <br> (II) DRAG FORCE $=7000 \mathrm{~N}-2100 \mathrm{~N}=5800 \mathrm{~N}$ |
| 4.4 | I can use $\mathrm{W}=\mathrm{mg}$ to solve problems involving weight mass and gravitational field strength, including on different planets (where g is given on page 2 of section 1 ) |
|  |  |
| 4.5 | I can use Newton's 3rd law and its application to explain motion resulting from a 'reaction' force. |
|  | If I sit on a chair I am exerting a force (equal to my weight) on the chair (if my legs are off the ground). I am not accelerating so the forces on me must be balanced. So there must be a reaction force equal in size and opposite in direction to my weight. This is the reaction force from the chair. |
| 4.6 | I can use Newton's laws to explain free-fall and terminal velocity. |



| point | Forces and Motion |
| :---: | :---: |
| A | Newton's $2^{\text {nd }}$ Law F=ma <br> $F=$ weight, $m=$ mass of the skydiver and kit, $a=$ acceleration. <br> Initial velocity in the vertical direction is zero, the object accelerates under the force of gravity at $9.8 \mathrm{~ms}^{-2}$. Initially no drag force. |
| B | Newton's $2^{\text {nd }}$ Law F=ma <br> $F_{u n}=$ weight $+d r a g$ (which is in the opposite direction), $m=$ mass of the skydiver and kit, $a=$ acceleration. <br> As vertical speed increases air resistance acting against the parachutist increases. At $B$ weight is greater than drag so the skydiver accelerates with a reduced acceleration than at the start. |
| C | Newton's $1^{\text {st }}$ Law An object will move at constant velocity unless acted upon by an unbalanced force. The forces are balanced. <br> At C Weight = drag so the skydiver falls at constant speed, terminal velocity. |
| D | Newton's $2^{\text {nd }}$ Law $\mathrm{F}=\mathrm{ma}$ <br> Fun=weight+ frictional forces (which are much greater than weight so $F$ is negative), $m=$ mass of the skydiver and kit, $a=$ acceleration. <br> The parachute is opened At D drag forces are much greater than the weight (the parachute has been opened) so there is a high deceleration (or negative acceleration) |
| E | Newton's $1^{\text {st }}$ Law An object will move at constant velocity unless acted upon by an unbalanced force. The forces are balanced. <br> At E Weight = drag so the skydiver falls at constant speed, terminal velocity |
| F | Newton's $2^{\text {nd }}$ Law $F=$ ma and Newton's $3^{\text {rd }}$ Law For every action there is an equal but opposite reaction. <br> Fun=weight+ forces from the ground, $m=$ mass of the skydiver and kit, $a=$ acceleration. <br> The skydiver touches the ground creating a large force on the ground (slowing down) The ground produced an equal but opposite force on the skydiver which cause a great negative acceleration |

